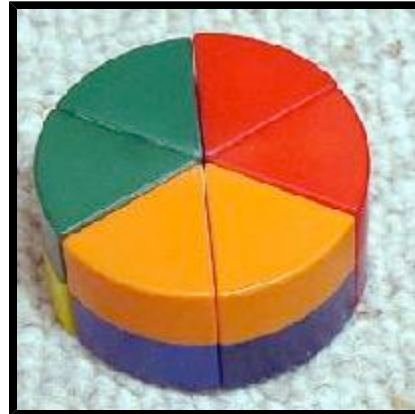


# Jaap's Puzzle Page

## Kép Korong / Rubik's Cheese



Picture kindly supplied by Hendrik Haak

The Kép Korong is a predecessor of the [Hockey Puck](#), and has the same mechanism but with fewer pieces. It has the shape of a thick disk. In the centre are two semicircular parts, and around these are 6 segment pieces. The centre can rotate with respect to the segments, and one of its halves can be given a 180 degree turn to change the order of the segments. Each side has a picture of a cartoon character. A neat feature is that in its solved state the centre must be out of alignment to complete the pictures.

Rubik's Cheese is a predecessor of the [Rubik's Ufo](#), and has the same internal mechanism except that it has only one layer instead of two. It is extremely rare and hard to find. It is essentially the same puzzle as the Kép Korong, except that it has no rotating centre, so any three adjacent segments can turn at all times. Each segment has different colours on top and bottom, and in the solved position each side of each piece shares its colour with a piece next to it. The solved position therefore shows three colours on each side of the puzzle. The picture above shows the version where there are three identical pairs of pieces, but it is more common for the pieces to have six different colour pairings so that in the solved position the three coloured regions of one layer do not coincide with the three regions of the other.

The US patent for Rubik's Cheese was filed on 9 November 1981 and granted 18 October 1983, [US 4,410,179](#), but there is an earlier Hungarian patent, 9 November 1980, HU 2679.

If your browser supports JavaScript, then you can play the Rubik's Cheese by clicking the links below:

[JavaScript Rubik's Cheese](#)

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### The number of positions:

The pieces come in two sets of three which cannot intermingle. In fact, the Rubik's Cheese has a

mechanism where three pieces are fixed on axes connected to a centre core, while the other three pieces are held between them. Each piece has two possible orientations, so at first sight there are at most  $3! \cdot 2^6 = 384$  positions. This limit is not reached because the number of flipped pieces of each set of pieces has the same parity as the permutation parity of the other set. This leaves only  $3! \cdot 2^4 = 96$  positions for the Rubik's Cheese.

Moves	Positions
0	1
1	3
2	6
3	12
4	18
5	24
6	23
7	9
<b>Total</b>	<b>96</b>

In [Sloane's On-Line Encyclopedia of Integer Sequences](#) the Rubik's Cheese sequence is included as [A079830](#).

The Kép Korong also has two centre pieces which should be taken into account. They seem to have 2·2 ways they can face, but due to a parity restriction there are really only 2 cases for any given position of the pieces. This means there are  $96 \cdot 2 = 192$  positions, or if the rotation of the centres matters,  $192 \cdot 6 = 1152$  positions. Below is a table setting out how many positions there are for each number of moves when centre rotations are counted as moves as well.

	Face turn metric															Total
	0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	Total
<b>S</b>	0	1														<b>1</b>
<b>i</b>	1	3														<b>3</b>
<b>x</b>	2	2	4													<b>6</b>
<b>t</b>	3	1	4	6												<b>11</b>
<b>h</b>	4		2	10	8											<b>20</b>
<b>t</b>	5			9	16	12										<b>37</b>
<b>u</b>	6			4	12	24	16									<b>56</b>
<b>r</b>	7			1	4	12	32	24								<b>73</b>
<b>n</b>	8				1		16	48	28							<b>93</b>
<b>m</b>	9							24	56	30						<b>110</b>
<b>e</b>	10								28	60	36					<b>124</b>
<b>t</b>	11									30	72	42				<b>144</b>
<b>r</b>	12										36	84	40			<b>160</b>
<b>i</b>	13											42	80	27		<b>149</b>
<b>c</b>	14												40	54	22	<b>116</b>
	15													27	22	<b>49</b>
<b>Total</b>	<b>1</b>	<b>6</b>	<b>10</b>	<b>30</b>	<b>41</b>	<b>48</b>	<b>64</b>	<b>96</b>	<b>112</b>	<b>120</b>	<b>144</b>	<b>168</b>	<b>160</b>	<b>108</b>	<b>44</b>	<b>1152</b>

### Notation:

Mentally label the segments/pieces of the disk clockwise from A to F. Any twist of three segments can then simply be denoted by the letter of the middle segment of those three.

### Solution:

#### Phase 1: Orient the pieces

- If there are any three adjacent pieces of which two or three are flipped, then twist that half.

- b. Repeat step a as often as possible.
- c. If there are still pieces flipped, for example piece A, then do CDE and turn over the puzzle. If necessary, repeat until no flipped pieces are left.

**Phase 2:** Arrange the segments

- a. Consider pieces A, C, and E correct, and compare pieces B, D, and F to them. To cycle around B->D->F, do the moves CDECDE. To go in the opposite direction B->F->D do EDCEDC.

**Phase 3:** Fix the centre (Kép Korong only)

- a. During the last move done in the previous phases, you can always ensure that at least one half of the centre facing the correct way. Due to parity, the whole centre should then be facing the correct way. If you have to turn over the centre anyway:  
Do any move (i.e. turn over one half)  
Rotate the centre 180 degrees  
Turn over one half again.
- b. Rotate the centre until the picture on the front is correct.

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